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► **To cite this version:**

Marielle Brunette, Stéphane Couture, François Pannequin. Is forest insurance a relevant support to induce adaptation efforts to climate change?. 10th International Conference on Risk Analysis, May 2016, Crête, Greece. 20 p. hal-02794195

HAL Id: hal-02794195

<https://hal.inrae.fr/hal-02794195>

Submitted on 5 Jun 2020

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Is forest insurance a relevant vector to induce adaptation efforts to climate change?

Marielle Brunette*, Stéphane Couture†

April 21, 2016

Key message This paper provides a theoretical model of insurance economics to analyze the relevance of considering adaptation efforts in forest insurance contracts in order to encourage forest owners' to implement adaptation strategies against climate change.

Contribution of the co-authors The manuscript was written by the two co-authors.

Acknowledgments This work was supported by the ANR project FORWIND (ANR-12-AGRO-0007). The UMR Economie Forestière is supported by a grant from the French National Research Agency (ANR) as part of the “Investissements d’Avenir” program (ANR-11-LABX-0002-01), ARBRE Lab of Excellence.

Abstract

- **Context** One of the challenges of forest adaptation to climate change is to encourage private forest owners to implement adaptation strategies.
- **Aims** We suggest the analysis of forest insurance contracts against natural hazards as a vector to promote the implementation of adaptation efforts by private forest owners.
- **Methods** We propose a theoretical model of insurance economics under risk and under uncertainty.
- **Results** Our results indicate that when climate change makes the probability of the occurrence of the natural event uncertain, then it may be relevant to include adaptation efforts in the insurance contract, leading to an increase in the adaptation efforts of risk-averse and uncertainty-averse forest owners. In addition, we show that the relevance of insurance as a vector to promote adaptation efforts is greater when the forest owner's effort is unobservable by the insurer as compared to a situation of perfectly observable effort.
- **Conclusion** Under some realistic assumptions, the forest insurance contract seems to be a relevant tool to encourage forest owners to adapt to climate change.

Keywords: forest, insurance, risk, uncertainty, climate change, adaptation strategy.

*INRA, UMR 356 Forest Economics, 14 rue Girardet, 54042 Nancy, France. Marielle.Brunette@nancy.inra.fr

†INRA, UR 875 Applied Mathematics and Computer Science, 31326 Castanet-Tolosan, France. Stephane.Couture@toulouse.inra.fr

1 Introduction

As a result of increasing temperatures, changes in water regimes and unforeseen disturbances, climate change is likely to have an impact on various ecosystems, especially that of the forest. Indeed, temperature, solar radiation, rainfall and atmospheric CO₂ concentrations represent major direct drivers of forest productivity and forest dynamics (Scholes et al. 2014). In addition, since forest management decisions have long-term implications because of standard rotation lengths that range between four and 15 decades, and because decisions such as the choice of tree density or species are largely irreversible, the forest seems to be of particular interest for analyzing adaptation to climate change.

One of the main concerns with regard to climate change and forests is that climate change increases the frequency and severity of natural events, making forest management riskier (Spittlehouse and Stewart 2003; Van Aalst 2006). In addition, the impact of climate change on the characteristics of natural hazards is widely uncertain, particularly in terms of occurrence. An increasing number of natural events have occurred in the last decade, whereas the probability of the occurrence of these events is still largely uncertain. This finding has put governments under increasing pressure to implement policies and investment projects to facilitate climate change adaptation (Hochrainer-Stigler et al. 2014; Van Aalst 2006).

In such a context, many forest adaptation options are recommended to address climate change. Examples include the reduction of rotation lengths (Spittlehouse and Stewart 2003; Seidl et al. 2011), a shift from monoculture to mixed stands (Shou et al. 2012), planting alternate genotypes or new species (Spittlehouse and Stewart 2003; Carina and Keskitalo 2011), sanitation thinning (Spittlehouse and Stewart 2003; Guariguata et al. 2008), among others. These adaptation strategies represent high costs for the forest owner because they imply extensive modifications of the forest management. In addition, the results of such strategies, although they may reduce risks, are largely unknown in a context of climate change.

In addition to these existing adaptation options, the forest owner can also adopt risk-sharing strategies. In some countries (Denmark, France, Germany, Japan, Sweden, etc.), insurance contracts against fire and/or storm are proposed to private forest owners (Holecy and Hanewinkel 2006; Brunette and Couture 2008; Brunette et al. 2015). The private forest insurance market is different from one country to the next since it depends on environmental, economic and political conditions (Brunette and Couture 2008; Brunette et al. 2015). For example, in Europe, disparities exist between France and Germany where only 2% and 5%, respectively, of the private forest owners are insured against storm, and Denmark and Sweden where this figure is 68% and 90%, respectively (Brunette and Couture 2008). Concerning forest fire insurance, Brunette et al. (2015) reported that only 1.25% of the insurable land in Spain is insured, and less than 0.5% of the forest cover in Slovakia. Such insurance also exists outside of Europe, in New Zealand (Manley and Watt 2009), China (Dai et al. 2016) and USA (Deng et al. 2015), for example.

Consequently, in a context where private insurance is available, costly adaptation strategies exist, and the impacts of climate change on the occurrence of natural hazards and the consequences of adaptation actions are largely uncertain, the major question is how to encourage private forest owners to implement adaptation strategies.

In this paper, we suggest the analysis of forest insurance contracts against natural events as a vector to promote the adoption of adaptation strategies by private forest owners¹. Our idea is that these existing forest insurance contracts could include the forest owner's adaptation effort. Since adaptation efforts are risk-reducing, they make it possible to decrease the forest insurance premium against natural hazards. Both forest owners and insurers may benefit from such contracts.

The standard theoretical framework of insurance demand (Mossin 1968) may be used to model an insurance contract depending on adaptation efforts. This standard framework has rarely been applied to analyze forest insurance. Brunette and Couture (2008) adapted the model of Mossin

¹This suggestion is in line with the recommendations to use private-sector insurance as a vehicle to finance climate resilience and adaptation (OECD 2015, Global Agenda Council on Climate Change 2014, Article 4.8 of the United Nations Framework Convention on Climate Change (UNFCCC) and Article 3.14 of the Kyoto Protocol).

(1968) to some forest specificities: loss proportional to the value of the forest stand in the event of risk occurrence and a multiple-state model, and studied forest owners' insurance decisions under risk with several public programs. In the same way, Brunette et al. (2013) proposed an extension of the initial Mossin model by considering uncertainty in relation to the probability of risk occurrence, and experimentally tested their theoretical predictions about optimal insurance decisions. They found that participants in the uncertainty context are consistently willing to pay more to be fully insured than participants in the risk situation. To our knowledge, there is no extension of the standard theoretical model that focuses on the introduction of risk-reduction efforts into the insurance contract under uncertainty.

Consequently, we propose a theoretical model of insurance economics that determines the forest owner's optimal adaptation efforts and the associated optimal level of forest insurance. This model will compare different situations. First, we propose to compare the optimal adaptation effort under risk and under uncertainty. Risk refers to a situation where the probability of the occurrence of a disaster is well-known, whereas uncertainty refers to a situation in which the probability of occurrence is not known (Knight 1921). In our context, we assume that climate change makes the probability of occurrence of the natural hazard uncertain. By doing that, we are consistent with the approach suggested by Yousefpour et al. (2012) who report that: "*we are facing a new kind of uncertainties, which has been little addressed in the forest management and decision-making literature and that are those implied by climate change*". Second, we consider that the insurer may or may not observe the adaptation effort implemented by the forest owner at the time that the insurance contract is taken out. An observable adaptation effort may be, for example, the financial contribution to a forest adaptation fund². In contrast, an unobservable adaptation effort could be the implementation of sanitation thinning or the reduction of rotation length that requires a costly

²Some funds related to climate change and the forest have emerged: the Forest Climate Fund in Germany ([http : //www.bmel.de/EN/Forests - Fisheries/Forests/texte/ForestClimateFund.html](http://www.bmel.de/EN/Forests-Fisheries/Forests/texte/ForestClimateFund.html)), the Strategic Forest Carbon Fund in France ([http : //fbie.org/projet - foret - bois/](http://fbie.org/projet-foret-bois/)), etc. They support actions in relation to forest area development, forest resilience, forest adaptation strategies, etc. and, consequently, contribution to such funds may be considered as an observable adaptation effort.

ex ante control by the insurer.

2 Material and methods

2.1 The insurance model under risk

Consider a private forest owner with an initial wealth W_0 corresponding to the commercial value of a timber stand at the optimal cut period. This initial wealth is exposed to a probability q that a natural hazard occurrence will affect the value of the forest stand. The proportion of the damaged stand affected by the hazard is designated by x . The loss xW_0 is proportional to the value of the stand, as suggested in the literature (Brunette and Couture 2008). The final wealth would thus be W_0 if no hazard occurs, or $W_0 - xW_0$ in the case of loss. In order to reduce the risk exposure, the forest owner can make an adaptation effort a . Assuming that the forest damage proportion x is a decreasing function of the adaptation effort a , we have: $x = x(a)$, $x'(a) < 0$. Moreover, we assume that the returns on adaptation efforts are decreasing (*i.e.*, $x''(a) > 0$). The forest owner's preferences are characterized by a classical von Neumann-Morgenstern utility function $U(W)$, which is strictly increasing and concave ($U'(W) > 0$, $U''(W) < 0$). This risk aversion hypothesis is in line with the forest economics literature that reports that risk aversion plays a significant role in the forest owner's adaptation decision (Brunette et al. 2014a).

In addition, the forest owner may purchase an insurance contract from a risk-neutral insurer that specifies three factors: the insurance premium P , the compensation I and the deductible F . The unit price of insurance is designated by p , so that: $P = pI$.

Consequently, in order to choose the optimal levels of insurance and adaptation effort (F_R, a_R) , the forest owner maximizes the following expected utility:

$$\text{Max}_{(F_R, a_R)} EU(W) = (1 - q)U(W_{1R}) + qU(W_{2R}) \quad (1)$$

where W_{1R} is the final wealth with no loss, and W_{2R} the final wealth when a loss occurs, under risk. In this context, we analyze two situations: when the insurer observes the forest owner's adaptation effort and when the insurer does not observe this effort.

2.1.1 Observability of the adaptation effort

When the insurer observes the forest owner's adaptation effort, the compensation is then $I = x(a_R^o)W_0 - F_R^o$. In such a context, the wealth when no natural hazard occurs is $W_{1R}^o = W_0 - p(x(a_R^o)W_0 - F_R^o) - a_R^o$ and when it occurs: $W_{2R}^o = W_0 - p(x(a_R^o)W_0 - F_R^o) - a_R^o - F_R^o$.

The first-order conditions defining optimal insurance and adaptation effort may be written as follows:

$$(1 - q)U'(W_{1R}^{o*}) + qU'(W_{2R}^{o*}) = qU'(W_{2R}^{o*}) \times \frac{1}{p} \quad (2)$$

$$(1 - q)U'(W_{1R}^{o*}) + qU'(W_{2R}^{o*}) = -x'(a_R^{o*})W_0p[(1 - q)U'(W_{1R}^{o*}) + qU'(W_{2R}^{o*})] \quad (3)$$

At the optimum, the marginal cost of adaptation effort a_R^{o*} (LHS of condition (3)) is equal to its marginal benefit (RHS of condition (3)), in terms of expected utility. The same comment applies for optimal insurance F_R^{o*} with regard to condition (2).

2.1.2 Unobservability of the adaptation effort

When the insurer does not observe the forest owner's adaptation effort, it is then considered that $a = 0$ when calculating the compensation. The compensation is then $I = x(0)W_0 - F_R^u$. In such a context, the wealth when no natural hazard occurs is $W_{1R}^u = W_0 - p(x(0)W_0 - F_R^u) - a_R^u$ and when it occurs: $W_{2R}^u = W_0 - p(x(0)W_0 - F_R^u) - a_R^u - x(a_R^u)W_0 + x(0)W_0 - F_R^u$.

After some changes, the first-order conditions defining optimal insurance and unobservable effort

may be written as follows:

$$(1 - q)U'(W_{1R}^{u*}) + qU'(W_{2R}^{u*}) = qU'(W_{2R}^{u*}) \times \frac{1}{p} \quad (4)$$

$$(1 - q)U'(W_{1R}^{u*}) + qU'(W_{2R}^{u*}) = -x'(a_R^{u*})W_0qU'(W_{2R}^{u*}) \quad (5)$$

Then, at the optimum, the marginal cost of optimal insurance F_R^{u*} and adaptation effort a_R^{u*} (LHS), respectively, is equal to its marginal benefit (RHS) in expected utility terms.

2.2 The insurance model under uncertainty

We consider the same forest owner facing the same problem, but since climate change makes the probability of occurrence of natural events uncertain in this case, we assume that the probability q of the loss is uncertain³ and is represented by a stochastic variable $\tilde{q} = q + \tilde{\varphi}$ with $E(\tilde{\varphi}) = 0$, where E is the term of expectation for $\tilde{\varphi}$.

The forest owner is characterized by both a von Neumann-Morgenstern utility function $U(\cdot)$, strictly increasing and concave ($U'(\cdot) > 0$, $U''(\cdot) < 0$), which captures the owner's risk aversion, and an increasing and concave function $\phi(\cdot)$ defined over the expectation of $U(\cdot)$, representing the forest owner's uncertainty aversion. This way to consider uncertainty comes from the expected recursive utility theory of Klibanoff et al. (2005). As usual, we assume that the insurer is risk- and uncertainty-neutral. The forest owner has to choose the insurance deductible F_U and the adaptation effort a_U under uncertainty.

Thus, in order to choose the optimal couple of decisions (F_U, a_U) , the forest owner maximizes the following expected recursive utility:

$$\text{Max}_{(F_U, a_U)} EV(W) = E_{\tilde{\varphi}}\phi[U(W), \tilde{\varphi}] = E_{\tilde{\varphi}}\phi[(1 - \tilde{q})U(W_{1U}) + \tilde{q}U(W_{2U})] \quad (6)$$

³We consider uncertainty as situations in which forest owners do not have perfect knowledge about the probabilities. In decision theory, such an uncertainty is defined as ambiguity.

where W_{1U} is the final wealth with no loss, and W_{2U} the final wealth when a loss occurs under uncertainty. In this context, we analyze the optimal adaptation effort when the insurer observes and does not observe this effort.

2.2.1 Observability of adaptation effort

When the insurer observes the forest owner's adaptation effort, the insurance compensation is then $I = x(a_U^o)W_0 - F_U^o$. The wealths in both cases are defined as being under risk.

The first-order conditions defining optimal insurance and adaptation effort are:

$$\frac{\partial EV(W)}{\partial F} = E_{\tilde{\varphi}} \{ \phi'[U(W), \tilde{\varphi}] [(1 - \tilde{q})U'(W_{1U}^{o*})p - \tilde{q}U'(W_{2U}^{o*})(1 - p)] \} = 0 \quad (7)$$

$$\begin{aligned} \frac{\partial EV(W)}{\partial a} &= E_{\tilde{\varphi}} \{ \phi'[U(W), \tilde{\varphi}] [\tilde{q}U'(W_{2U}^{o*})(-px'(a_U^{o*})W_0 - 1) + (1 - \tilde{q})U'(W_{1U}^{o*})(-px'(a_U^{o*})W_0 - 1)] \} \\ &= 0 \end{aligned} \quad (8)$$

These conditions reveal that, at the optimum, the marginal cost of insurance and adaptation effort is equal to its marginal benefit, expressed in expected recursive utility terms.

2.2.2 Unobservability of adaptation effort

When the insurer does not observe the forest owner's adaptation effort, the compensation is then $I = x(0) - F_U^u$. The wealths in the two states of the world are defined as being under risk.

In this context, after some rearrangement, the first-order conditions defining optimal insurance and adaptation effort may be written as follows:

$$\tilde{q}U'(W_{2U}^{u*}) + (1 - \tilde{q})U'(W_{1U}^{u*}) = \frac{\tilde{q}U'(W_{2U}^{u*})}{p} - \frac{\text{cov}(\phi'[U(W), \tilde{\varphi}], EU'_F)}{E_{\tilde{\varphi}}\phi'[U(W), \tilde{\varphi}]} \times \frac{1}{p} \quad (9)$$

$$\tilde{q}U'(W_{2U}^{u*}) + (1 - \tilde{q})U'(W_{1U}^{u*}) = -\tilde{q}x'(a_U^{u*})W_0U'(W_{2U}^{u*}) + \frac{\text{cov}(\phi'[U(W), \tilde{\varphi}], EU'_a)}{E_{\tilde{\varphi}}\phi'[U(W), \tilde{\varphi}]} \quad (10)$$

where $EU'_F = [\tilde{q}U'(W_{2U}^{u*})(p - 1) + (1 - \tilde{q})U'(W_{1U}^{u*})p]$ and $EU'_a = [\tilde{q}U'(W_{2U}^{u*})(-1 - x'(a_U^{u*})W_0) -$

$$(1 - \tilde{q})U'(W_{1U}^{u*}).$$

Then, at the optimum, the marginal cost of insurance (LHS of condition (9)) is equal to its marginal benefit (RHS of condition (9)). The same comment applies for the adaptation effort with regard to condition (10).

3 Results

3.1 Observability *vs.* unobservability

3.1.1 Under risk

When the forest owner's adaptation effort is observable by the insurer, the LHS of conditions (2) and (3) are identical. Then, equalizing the RHS makes it appear that the forest owner invests in adaptation efforts in order to equalize the marginal returns of each risk-reducing mechanism:

$$-x'(a_R^{o*})W_0 = \frac{1}{p} \tag{11}$$

Consequently, at equilibrium, the marginal return of adaptation efforts equalizes the reverse of the marginal return of insurance. The unit price of the insurance then indirectly determines the adaptation effort chosen by the forest owner, who sets the level of effort at the point that equalizes marginal returns, and complements it by buying some insurance coverage for the residual risk.

This result is still true when the adaptation effort is unobservable by the insurer. In fact, the LHS of conditions (4) and (5) are identical, so equalizing the RHS leads to the same result as presented in condition (11). This means that under risk, the optimal level of adaptation effort is the same regardless of the observability of the effort.

These findings lead to the following proposition:

Proposition 1 *Under risk, the optimal adaptation effort of a risk-averse forest owner is the same when the effort is observable by the insurer as when the effort is unobservable.*

The proof of Proposition 1 is given in Appendix A.

Proposition 1 means that under risk, regardless of the observability of the adaptation effort of a risk-averse forest owner by a risk-neutral insurer, the implementation of a forest insurance contract with a premium directly depending on the adaptation effort is ineffective in terms of the individual's incentives to adapt to climate change.

3.1.2 Under uncertainty

When the insurer observes the adaptation effort implemented by the forest owner, then equalizing conditions (7) and (8) makes it appear that the equilibrium obtained is the same as that presented in condition (11). Consequently, at equilibrium, the marginal return of the adaptation effort equalizes the reverse of the marginal return of insurance.

However, since we introduce the assumption of unobservability of the adaptation effort, then the equilibrium changes. We can easily observe that the LHS of conditions (9) and (10) are identical. Consequently, equalizing the RHS leads to:

$$\frac{1}{p} + x'(a_U^{u^*})W_0 = \left[\frac{\text{cov}(\phi'[U(W), \tilde{\varphi}], EU'_a)}{E_{\tilde{\varphi}}\phi'[U(W), \tilde{\varphi}]} + \frac{1}{p} \times \frac{\text{cov}(\phi'[U(W), \tilde{\varphi}], EU'_F)}{E_{\tilde{\varphi}}\phi'[U(W), \tilde{\varphi}]} \right] \times \frac{1}{\tilde{q}U'(W_{2U}^{u^*})} \quad (12)$$

The optimal level of the adaptation effort depends on the comparison between the marginal benefit and the marginal cost of the adaptation effort, as previously presented in condition (11), but also on an additional term whose sign is a function of the uncertainty preferences. Under uncertainty neutrality, the RHS of condition (12) is equal to zero; under uncertainty aversion, it is positive; and under uncertainty prone assumption, this RHS term is negative. This means that under uncertainty neutrality, the optimal adaptation efforts under observability and unobservability are the same, so that implementing an insurance contract with a premium depending on the adaptation effort would not be efficient. Under an uncertainty-prone assumption, the optimal level of the adaptation effort is lower than under uncertainty neutrality. Finally, under uncertainty aversion,

the optimal adaptation effort is higher than under neutrality, making the insurance contract relevant to encourage forest owners to adapt to climate change.

These findings lead to the following proposition:

Proposition 2 *Under uncertainty, the optimal adaptation effort of a risk-averse and uncertainty-averse forest owner is higher when the effort is unobservable by the insurer than when the effort is observable.*

The proof of Proposition 2 is given in Appendix B.

Proposition 2 indicates that under uncertainty, the implementation of a forest insurance contract with a premium depending on the adaptation effort of the owner could be more efficient in terms of an individual's incentives to adapt to climate change when the effort of a risk-averse and uncertainty-averse forest owner is unobservable by the insurer than when it is observable.

3.2 Risk vs. uncertainty

The situation under risk does not take the uncertain impact of climate change on the probability of occurrence of natural events into account. Consequently, comparing the optimal adaptation effort under risk (conditions (2), (3), (4) and (5)) and under uncertainty (conditions (7), (8), (9) and (10)) makes it possible to infer the role of climate change in the model. This comparison leads to the following proposition:

Proposition 3 *The optimal levels of forest owners' adaptation efforts under risk and under uncertainty when the adaptation effort is observable by the insurer are identical. When the effort is unobservable, the optimal level of adaptation effort under uncertainty is higher (lower or identical, respectively) than the optimal level of adaptation effort under risk if the forest owner is risk-averse and uncertainty-averse (prone or neutral, respectively).*

The proof of this proposition is derived from the results obtained in Propositions 1 and 2.

Proposition 3 means that when the uncertain impact of climate change is not taken into account, the insurance contract does not appear to be an interesting vector to promote risk-reducing strategies among the forest owner population. However, the introduction of climate change into the model through its uncertain impact on the probability of the occurrence of natural events seems to legitimize the use of forest insurance contracts as incentives to encourage risk-averse and uncertainty-averse forest owners to undertake adaptation efforts to address climate change when the effort is unobservable.

4 Discussion

Our results indicate that incorporating adaptation efforts into forest insurance contracts may be an effective means to encourage forest owners to adapt to climate change when: (1) the probability of occurrence of the insured natural event is uncertain; (2) the forest owner is risk-averse and uncertainty-averse; and (3) the forest owner's adaptation effort is unobservable by the insurer. We discuss how realistic these three conditions are below.

Uncertain probabilities. The Intergovernmental Panel on Climate Change (IPCC) released a special report on extreme events and disasters in 2012 (IPCC SREX). This report concludes that “*changing climate leads to changes in the frequency, intensity, spatial extent, duration, and timing of extreme weather and climate events, and can result in unprecedented extreme weather and climate events*” (IPCC 2012b). The IPCC also specifies that, by definition, extreme events seldom occur (IPCC 2012a), so that identifying long-term trends and making projections for the future is therefore very complicated (Banholzer et al. 2014). These findings are in accordance with our point (1). However, they also underline the fact that uncertainty characterizes the intensity of natural events as well, which is probably a promising way to extend our model.

Risk and uncertainty aversion. The forest owner's risk aversion is a widespread assumption in the literature. Many theoretical papers have focused on the impact of the forest owner's risk aversion on various types of decisions such as rotation length (Uusivuori 2002; Gong and Löfgren 2003), forest investments (Kangas 1994), harvesting (Brunette et al. 2015a) and species change (Brunette et al. 2014a).

However, few empirical studies have attempted to characterize the forest owner's risk preferences. Lönnstedt and Svensson (2000), through telephone interviews of a sample of Swedish forest owners, found risk-prone attitudes when small sums of money were at stake, whereas they found risk-averse attitudes when large sums were at stake. Andersson and Gong (2010) found that a majority of Swedish forest owners were risk-neutral or risk-prone. As the result of a field experiment they carried out, Brunette et al. (2013) concluded that French private forest owners were risk-averse. Recently, Brunette et al. (2014b) found that French private forest owners are risk-averse with an average relative risk aversion coefficient of 1.15.

To our knowledge, the only study dealing with the uncertainty aversion of forest owners was proposed by Brunette et al. (2013). They questioned 42 French private forest owners on their willingness-to-pay to be fully insured against forest fire risk. The probability of occurrence of a fire is uncertain. They analyzed the risk and uncertainty preferences through the ratio of willingness-to-pay to expected loss (Kunreuther et al. 1995). The results indicated that this ratio is higher under uncertainty than under risk, regardless of the level of income, concluding that the forest owners interviewed were uncertainty-averse.

This brief overview indicates that our point (2) on risk aversion and uncertainty aversion of private forest owners seems to be plausible.

Unobservable adaptation effort. We mentioned many potential adaptation strategies in the introduction: reduction of rotation length, a shift from monoculture to mixed stands, planting alternate genotypes or new species, sanitation thinning, etc. These adaptation strategies are unob-

servable by the insurer at the time the insurance contract is taken out due to high compliance/control costs. In contrast, financial contribution to a forest adaptation fund is observable by the insurer. Another example may be a financial contribution to firefighting associations like the one existing in the south of France, the DFCI (Defense of Forests against Fire).

It is easy to observe that unobservability by the insurer characterizes most of the adaptation effort that a forest owner may undertake. Cases where the effort is observable by the insurer are scarce and focus mainly on financial contributions, making our point (3) on unobservability realistic.

5 Conclusion

This article questions the relevance of incorporating adaptation efforts into forest insurance contracts against natural events as a means to encourage private forest owners to adopt adaptation actions. For that purpose, we propose an insurance economics model that determines the optimal adaptation effort under risk and under uncertainty when the insurer may or may not observe the forest owner's adaptation effort. Uncertainty allows us to consider the impact of climate change on the frequency of natural hazards.

We show that under some assumptions, incorporating the adaptation effort into forest insurance contracts may be a relevant vector to incite the implementation of adaptation strategies by the forest owner. More precisely, such a contract may be useful when the probability of occurrence of the natural hazard is uncertain, the forest owner is risk-averse and uncertainty-averse, and when the forest owner's adaptation effort is unobservable. These assumptions are mainly discussed with regard to the literature and were found to be realistic.

Several follow-ups to this paper appear to be of interest. First, as mentioned in the discussion, we assume uncertainty on the probability of occurrence of the natural hazard, but uncertainty may also characterize the damage. Experimental economics studies on this subject have been proposed in an insurance context (Hogarth and Kunreuther 1989; Kunreuther et al. 1993). Second, it may

also be interesting to empirically test the results obtained in this paper through an experiment in which the observability by the insurer of the forest owner's adaptation effort would be taken into consideration.

References

Andersson M, Gong P (2010) Risk preferences, risk perceptions and timber harvest decisions - an empirical study of nonindustrial private forest owners in northern Sweden. For Policy Econ 12:330-339.

Banholzer S, Kossin J, Donner S (2014) The impact of climate change on natural disasters. Chapter 2. In: Z. Zommers and A. Singh (eds.), Reducing Disaster: Early Warning Systems for Climate Change.

Brunette M, Couture S (2008) Public compensation for windstorm damage reduces incentives for risk management investments. For Policy Econ 10:491-499.

Brunette M, Cabantous L, Couture S, Stenger A (2013) The impact of governmental assistance on insurance demand under ambiguity: A theoretical model and an experimental test. Theory Decis 75:153-174.

Brunette M, Costa S, Lecocq F (2014a) Economics of species change subject to risk of climate change and increasing information: A (quasi-)option value analysis. Ann For Sci 71:279-290.

Brunette M, Foncel J, Kéré E (2014b) Attitude towards risk and production decision: An empirical analysis on French private forest owners. Études et documents du CERDI n° 10, avril 2014.

Brunette M, Couture S, Laye J (2015a) Optimizing forest management under storm risk with Markov decision process model. J Environ Econ Policy 4:141-163.

Brunette M, Holec J, Sedliak M, Tucek J, Hanewinkel M (2015b) An actuarial model of forest insurance against multiple natural hazards in fir (*Abies Alba Mill.*) stands in Slovakia. For Policy

Econ 55:46-57.

Carina E, Keskitalo H (2011) How can forest management adapt to climate change ? Possibilities in different forestry systems. *Forests* 2:415-430.

Dai Y, Chang HH, Liu W (2016) Do forest producers benefit from the forest disaster insurance program? Empirical evidence in Fujian Province of China. *For Policy Econ* 50:127-133.

Deng Y, Munn IA, Coble K, Yao H (2015) Willingness to pay for potential standing timber insurance. *J Agri Appl Econ* 47(4):510-538.

Gong P, Löfgren KG (2003) Risk-aversion and the short-run supply of timber. *For Sci* 49:647-656.

Guariguata MR, Cornelius JP, Locatelli B, Forner C, Sanchez-Azofeifa GA (2008) Mitigation needs adaptation: tropical forestry and climate change. *Mitig Adapt Strat Global Change* 13:793-808.

Global Agenda Council on Climate Change (2014) *Climate adaptation: Seizing the challenge*. World Economic Forum Geneva Switzerland. www.weforum.org/reports

Hochrainer-Stigler S, Mechler R, Pflug G, Williges K (2014) Funding public adaptation to climate-related disasters estimates for a global fund. *Glob Environ Chang* 25:87-96.

Hogarth RM, Kunreuther H (1989) Risk, ambiguity and insurance. *J Risk Uncertainty* 2:5-35.

Holec J, Hanewinkel M (2006) A forest management risk insurance model and its application to coniferous stands in southwest Germany. *For Policy Econ* 8:161- 174.

IPCC (2012a) In: Field CB, Barros V, Stocker TF, Qin D, Dokken DJ, Ebi KL, Mastrandrea MD, Mach KJ, Plattner G-K, Allen SK, Tignor M, Midgley PM (eds) *Managing the risks of extreme events and disasters to advance climate change adaptation. A special report of working groups I and II of the Intergovernmental Panel on Climate Change (IPCC)*. Cambridge University Press, Cambridge, UK/New York, p 582.

IPCC (2012b) *Summary for policymakers*. In: Field CB, Barros V, Stocker TF, Qin D, Dokken

DJ, Ebi KL, Mastrandrea MD, Mach KJ, Plattner G-K, Allen SK, Tignor M, Midgley PM (eds) Managing the risks of extreme events and disasters to advance climate change adaptation. A special report of working groups I and II of the Intergovernmental Panel on Climate Change (IPCC). Cambridge University Press, Cambridge, UK/New York, pp 3-21.

Kangas J (1994) Incorporating risk attitude into comparison of reforestation alternatives. *Scand J For Res* 9:297-304.

Klibanoff P, Marinacci M, Mukerji S (2005) A smooth model of decision making under ambiguity. *Econometrica* 73:1849-1892.

Knight F (1921) *Risk, uncertainty and profit*. Houghton Mifflin, Boston.

Kunreuther H, Hogarth RM, Meszaros J (1993) Insurer ambiguity and market failure. *J Risk Uncertainty* 7:71-87.

Kunreuther H, Meszaros J, Hogarth RM, Spranca M (1995) Ambiguity and underwriter decision processes. *J Econ Behav Organ* 26:337-352.

Lönnstedt L, Svensson J (2000) Non-industrial private forest owner's risk preferences. *Scand J For Res* 15:651-660.

Manley B, Watt R (2009) *Forestry insurance, risk pooling and risk mitigation options*. Report prepared for MAF Project CM-09 under MAF POL 0809-11194.

Mossin J (1968) Aspects of Rational Insurance Purchasing. *J Polit Econ* 76:553-568.

OECD (2015) *Climate Change Risks and Adaptation: Linking Policy and Economic*. OECD Publishing, Paris.

Scholes R, Settele J, Betts R, Bunn S, Leadley P, Nepstad D, Overpeck J, Angel Taboada M (2014) Terrestrial and inland water systems. In: *Climate Change 2014: Impacts, Adaptation and Vulnerability*. Contribution of Working Group II to the Fifth Assessment Report of the IPCC, Cambridge University Press, Cambridge.

Seidl R, Rammer W, Lexer MJ (2011) *Adaptation options to reduce climate change vulnerability*

of sustainable forest management in the Austrian Alps. *Can J Forest Res* 41:694-706.

Shou E, Bredhal Jacobsen J, Lokke Kristensen K (2012) An economic evaluation of strategies for transforming even-aged into near-natural forestry in a conifer-dominated forest in Denmark. *For Policy Econ* 20:89-98.

Spittlehouse DL, Stewart RB (2003) Adaptation to climate change in forest management. *BC J of Ecosystems Manag* 4:1-11.

Uusivuori J (2002) Non-constant risk attitudes and timber harvesting. *For Sci* 48:459-470.

Van Aalst MK (2006) The impacts of climate change on the risk of natural disasters. *Disasters* 30:5-18.

Yousefpour R, Jacobsen JB, Thorsen BJ, Meilby H, Hanewinkel M, Oehler K (2012) A review of decision-making approaches to handle uncertainty and risk in adaptive forest management under climate change. *Ann For Sci* 69:1-15.

A Appendix 1: Proof of Proposition 1

Under risk, when the insurer observes the adaptation effort, the first-order conditions are:

$$\begin{aligned}\frac{\partial EU(W)}{\partial F} &= p(1-q)U'(W_{1R}^{o*}) - (1-p)qU'(W_{2R}^{o*}) = 0 \\ \frac{\partial EU(W)}{\partial a} &= [(1-q)U'(W_{1R}^{o*}) + qU'(W_{2R}^{o*})][-px'(a_R^{o*}) - 1] = 0\end{aligned}$$

These conditions may be rewritten and lead to conditions (2) and (3). Equalizing these two conditions leads to the result presented in condition (11).

Under risk, when the insurer does not observe the adaptation effort, the first-order conditions are:

$$\begin{aligned}\frac{\partial EU(W)}{\partial F} &= p(1-q)U'(W_{1R}^{u*}) - (1-p)qU'(W_{2R}^{u*}) = 0 \\ \frac{\partial EU(W)}{\partial a} &= -(1-q)U'(W_{1R}^{u*}) - (1+x'(a_R^{u*}))qU'(W_{2R}^{u*}) = 0\end{aligned}$$

These conditions may be rearranged so as to give conditions (4) and (5):

$$\begin{aligned}(1-q)U'(W_{1R}^{u*}) + qU'(W_{2R}^{u*}) &= qU'(W_{2R}^{u*}) \times \frac{1}{p} \\ (1-q)U'(W_{1R}^{u*}) + qU'(W_{2R}^{u*}) &= -x'(a_R^{u*})W_0qU'(W_{2R}^{u*})\end{aligned}$$

The LHS of these conditions are identical. Therefore, equalizing the RHS leads to the following result:

$$-x'(a_R^{u*})W_0 = \frac{1}{p}$$

This condition is the same as condition (11).

B Appendix 2: Proof of Proposition 2

Under uncertainty, when the insurer observes the forest owner's adaptation effort, the first-order conditions are given by conditions (7) and (8). Equalizing these two conditions leads to the following result:

$$-x'(a_U^{o*})W_0 = \frac{1}{p}$$

Under uncertainty, when the insurer does not observe the adaptation effort, the first-order conditions are:

$$\begin{aligned} \frac{\partial EV(W)}{\partial F} &= E_{\tilde{\varphi}} \{ \phi'[U(W), \tilde{\varphi}][\tilde{q}U'(W_{2U}^{u*})(p-1) + (1-\tilde{q})U'(W_{1U}^{u*})p] \} = 0 \\ \frac{\partial EV(W)}{\partial a} &= E_{\tilde{\varphi}} \{ \phi'[U(W), \tilde{\varphi}][\tilde{q}U'(W_{2U}^{u*})(-1-x'(a_U^{u*})) - (1-\tilde{q})U'(W_{1U}^{u*})] \} = 0 \end{aligned}$$

Rearranging these conditions leads to conditions (9) and (10). The LHS of conditions (9) and (10) are identical, and equalizing the RHS leads to the result presented in condition (12). This condition (12) is different from the condition obtained under uncertainty and observability. It depends on the forest owner's uncertainty preferences as follows.

If the individual is uncertainty-neutral ($\phi'' = 0$), then the optimal adaptation effort is such that the RHS of condition (12) is equal to zero.

Under uncertainty aversion ($\phi'' < 0$), the two covariance terms, $cov(\phi'[U(W), \tilde{\varphi}], EU'_a)$ and $cov(\phi'[U(W), \tilde{\varphi}], EU'_F)$, are positive. Indeed, the two terms, $\phi'[U(W), \tilde{\varphi}]$ and EU' , vary in the same way with an increase in the loss x . When x increases, the wealth W decreases, the utility decreases and $\phi'[U(W), \tilde{\varphi}]$ increases. In the same manner, when x increases, the wealth W decreases, and since $U' > 0$, EU' increases. Consequently, the RHS of condition (12) is positive and the optimal level of the adaptation effort is higher than under uncertainty neutrality.

If the forest owner is uncertainty-prone ($\phi'' > 0$), then the RHS of condition (12) is negative and the optimal level of the adaptation effort is lower than under uncertainty neutrality.